

Basic Math - Scientific Notation

- » Scientific Notation is a convenient method for expressing very large or very small numbers
- » It expresses a number in the form: $N \times 10^n$ where N is between 1 and 10 & n is a positive or negative integer
- » To find n , count the number of places the decimal point must be moved to give the coefficient N . If the decimal point must be moved to the left, n is positive, if to the right, n is negative.

Basic Math - Scientific Notation

- » Let's do some examples to illustrate. Express the following numbers in scientific notation

$$25.43 = 2,543 \times 10^1$$

$$5719 = 5,719 \times 10^3$$

$$0.0819 = 8,19 \times 10^{-2}$$

Basic Math - Scientific Notation

- » We might also see numbers that look like the following examples

$$\begin{aligned} 12.3 \times 10^3 &= (1.23 \times 10^1) \times 10^3 \\ &= 1.23 \times 10^{(1+3)} \\ &= 1.23 \times 10^4 \end{aligned}$$

$$\begin{aligned} 0,037 \times 10^{-4} &= (3.7 \times 10^{-2}) \times 10^{-4} \\ &= 3.7 \times 10^{[-2+(-4)]} \\ &= 3.7 \times 10^{-6} \end{aligned}$$

Basic Math - Prefixes

» A prefix on a unit tells us something about how big a number is. Some common prefixes are shown below.

tera = 10^{12} giga = 10^9 mega = 10^6

kilo = 10^3 milli = 10^{-3} micro = 10^{-6}

nano = 10^{-9} pico = 10^{-12}

Basic Math - Units

» A number without units is pretty useless. Some common units are shown below.

meter liter gram

joule calorie hectare

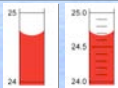
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Basic Math - Precision & Accuracy

» Precision and accuracy are NOT the same thing, though many people use them interchangeably

Example

We measure the temperature of a bucket of water using two different thermometers. One thermometer has a mark every degree; the other thermometer has markings every tenth of a degree.



We would predict the temperature to be?

We would predict the temperature to be?

Basic Math - Precision & Accuracy

> Which thermometer is more precise?
 The one on the right is more precise.

Which thermometer is more accurate?
 Both are equally accurate.

Basic Math - Precision & Accuracy

(a) (b) (c) (d)

Basic Math - Unit Conversion

> Uses the units associated with numbers as a guide in working out the arithmetic. Units associated with numbers undergo the same kinds of mathematical operations as the numbers themselves.

Example **How many kg are there in 175 lbs?**
 You can always start by looking at the units involved, in this case we have lbs and want kg

$$175 \text{ lbs} \times \left(\frac{\text{conversion}}{\text{factor}} \right) = \text{kg}$$

unit you want on top of factor
 unit you want to get rid of on bottom

Basic Math - Unit Conversion

Example How many *kg* are there in 175 *lbs*?
You can always start by looking at the units involved; in this case we have *lbs* and want *kg*

$$\text{lbs} \times \left(\frac{\text{conversion}}{\text{factor}} \right) = \text{kg}$$

$$\text{lbs} \times \left(\frac{\text{kg}}{\text{lbs}} \right) = \text{kg}$$

$$\text{lbs} \times \left(\frac{1 \text{ kg}}{2.205 \text{ lbs}} \right) = \text{kg}$$

$$175 \text{ lbs} \times \left(\frac{1 \text{ kg}}{2.205 \text{ lbs}} \right) = 79.4 \text{ kg}$$

Basic Math - Unit Conversion

Example How many *yd²* are there in 27 *ft²*?
You can always start by looking at the units involved; in this case we have *ft²* and want *yd²*

$$\text{ft} \times \left(\frac{\text{conversion}}{\text{factor}} \right) = \text{yd}$$

$$\text{ft} \times \left(\frac{\text{yd}}{\text{ft}} \right) = \text{yd}$$

$$\text{ft}^2 \times \left(\frac{\text{yd}^2}{\text{ft}^2} \right) = \text{yd}^2$$

$$\text{ft}^2 \times \left(\frac{1 \text{ yd}^2}{9 \text{ ft}^2} \right) = \text{yd}^2$$

$$27 \text{ ft}^2 \times \frac{1 \text{ yd}^2}{9 \text{ ft}^2} = 3 \text{ yd}^2$$
